



### Exercise 3: Determining pi

**Learning Objectives:** Set up a loop using a tolerance.

#### Read This First

The value of pi can be determined using the following infinite series:

$$\pi = 4 - \frac{4}{3} + \frac{4}{5} - \frac{4}{7} + \frac{4}{9} - \frac{4}{11} + \dots$$

Infinite series are a means of determining mathematical terms such as pi, sine, cosine, etc. algorithmically, for example, within a calculator. You will learn more about these types of mathematical expressions in your calculus courses.

#### What to Do

Display a table that shows the value of pi approximated by the first term of this series, followed by the pi approximated by the first two terms, etc. Indicate both the term number and the approximation to pi on the same line. Set your approximation of pi to 12 decimal places for display purposes.

Since this is an infinite series, you will need a stopping criterion. Each additional term in this infinite series becomes smaller in magnitude relative to its previous term. Set a tolerance value that represents the difference of the pi at the  $n^{\text{th}}$  step and pi at the  $(n-1)^{\text{th}}$  step. You will need to use the math library for the function `fabs()` (the absolute value of a double expression). This function takes a single double expression as an argument and returns a double value i.e.

```
double c = fabs( a );
```

will allow `c` to take on the absolute value of `a`. Allow the user to set the tolerance and constrain this value to:

$$0.0 < \epsilon < 0.1.$$

#### What to Hand In

Email your code to the course account and submit a hard copy to the submission box.

#### Due Date

This lab is due Friday, October 14 by 6:00pm.